INTEREST [PIRNOT 8.2]

<u>EX 8.2.2</u> Jim plans to take a vacation in 3 years. He expects the trip to cost \$1800.

He purchases a CD (Certificate of Deposit) with an annual interest rate of 12%. The CD uses simple interest.

How much money must Jim put into the CD to ensure he will have the necessary money for the trip?

Identify all known & unknown quantities:

FV = \$1800, P = ???, r = 12% = 0.12, t = 3 years

Plug in what you know (FV, r, t) & solve for what you don't know (P):

	FV	=	P(1+rt)
\implies	1800	=	P[1 + (0.12)(3)]
	(CALCULATOR)	:	1+(0.12*3)
\Rightarrow	1800	=	P(1.36)
\Rightarrow	$\frac{1800}{1.36}$	=	Р
\Rightarrow	1323.529412	=	P

 $\therefore P = 1323.529412 \approx |\$1323.53|$ (

(Rounded to two decimal places since P is a dollar value.)

EX 8.2.5: Mark is 32 years old and plans to retire at age 65 with \$1,500,000 in his retirement account.

He intends to achieve this by putting some money in an investment paying 6% annual interest compounded daily. How much money must Mark set aside in this investment to achieve his goal? (Assume 365 days in a year.)

Identify all known & unknown quantities:

FV = \$1,500,000, P = ???, r = 6% = 0.06, m = 365, t = 65 - 32 = 33 years, n = mt = 365(33) = 12045NOTE: m = 365 since the interest is compounded **daily** & there are 365 days in a year.

Plug in what you know (FV, r, m, n) & solve for what you don't know (P):

$$FV = P\left(1 + \frac{r}{m}\right)^{n}$$

$$\implies 1,500,000 = P\left(1 + \frac{0.06}{365}\right)^{12045}$$

(CALCULATOR) : $(1+(0.06/365))^{(12045)}$

$$\implies 1,500,000 = P(7.241564472)$$

$$\implies \frac{1,500,000}{7.241564472} = P$$

 $\therefore P = 207, 137.5606 \approx \$207, 137.56$

(Rounded to two decimal places since P is a dollar value.)

IMPORTANT: NEVER, EVER, EVER, ROUND AN INTERMEDIATE CALCULATION.....EVER! IF YOU NEED TO ROUND A CALCULATION, ONLY ROUND IT AT THE VERY END!

<u>NOTE:</u> The symbol \implies means "which implies that".

<u>NOTE:</u> The symbol \therefore means "therefore".

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